Course Category	ТВА	Credits	2
Subject Code	ТВА	Taking Year	1 <sup>st</sup> Grade, 2 <sup>nd</sup> Grade
Course Title (Japanese)	ガロアコホモロジー	Course Period	2 <sup>nd</sup> Semester
Course Title	Galois Cohomology	Day of the week / Hour	Thursday / The second period
Registration Code	ТВА	Compulsory / Elective	Elective
Instructor(s)	Miho Aoki	Course Qualification	Students of Postgraduate Mathematics Course

Course Style	Lecture		
Course Aim	I talk about an introduction to cohomology of number fields. First, we start with a review of Galois theory and algebraic number theory. After that, we introduce Galois cohomology. We show basic theorems on Galois cohomology and give some examples.		
Goals and Objectives (Level of Achievement)	To understand theory of algebraic number theory and homological algebra		
Course Plan	<ol> <li>1, 2. Review of Galois theory</li> <li>3, 4. Preparation from algebraic number theory</li> <li>5, 6. Galois cohomology</li> <li>7, 8. Basic theorems on Galois cohomology (The Hochschild-Serre spectral sequence, Duality, Hilbert's Satz 90)</li> <li>9, 10. The Brauer Group</li> <li>13 -15. Cohomology of global fields</li> </ol>		
Teaching Methods	Students are required to submit reports.		
Key Words	Galois theory, Galois Cohomology, Brauer Group, Algebraic Number Fields		
Texts	<ul><li>[1] J. P. Serre, Galois Cohomology, Springer.</li><li>[2] J. Neukirich, A. Schmidt and K. Wingberg, Cohomology of number fields, Springer.</li></ul>		
Reference Books	K. Kato, N. Kurokawa and T. Saito, Number Theory 1, Transactions of Mathe- matical Monographs, AMS.		
Other Teaching Materials	None		
Performance Evaluation	Grades will be based on reports.		
Notes on the Course	None		
Office Hour	To be announced		
Other Notes	None		