| Course Category | TBA | Credits | 2 |
| :---: | :--- | :---: | :--- |
| Subject Code | TBA | Taking Year | $1^{\text {st }}$ Grade， $2^{\text {nd }}$ Grade |
| Course Title（Japanese） | 微分位相幾何学 | Course Period | $1^{1^{\text {st }} \text { Semester }}$ |
| Course Title | Differential Topology | Day of the week／ <br> Hour | Friday／ <br> The second period |
| Registration Code | TBA | Compulsory／ <br> Elective | Elective |
| Instructor（s） | Tadayuki Watanabe <br> Eiichi Matsuhashi | Course Qualification | Students of Postgraduate <br> Mathematics Course |


| Course Style | Lecture |  |  |
| :---: | :--- | :---: | :---: |
| Course Aim |  |  | The aim of this class is to understand basic concepts from differential topology． <br>  <br> We focus on a Morse theoretic approach to differentiable manifolds and apply it <br> to study differential structures on manifolds． |
| Goals and Objectives <br> （Level of Achievement） | Understand basic terms and concepts of differentiable manifolds and <br> differentiable maps，and how the differential structures on manifolds can be <br> understood． |  |  |
|  | 1．Differentiable manifolds and differentiable maps |  |  |
|  | 2．Tangent bundle，inverse function theorem |  |  |
|  | 3．Vector fields and flows |  |  |
|  | 4．Transversality |  |  |
|  | 5．Functions on manifolds |  |  |
|  | 6．Morse functions on manifolds |  |  |
|  | 7．Morse＇s Lemma，Existence of Morse functions |  |  |
|  | 8．Gradient－like vector fields |  |  |
|  | 9．Handle decompositions of manifolds |  |  |
|  | 10．Examples of handle decompositions |  |  |
|  | 11．Homology of manifolds（1） |  |  |
|  | 12．Homology of manifolds（2） |  |  |
|  | 13．Structures of low－dimensional manifolds（1） |  |  |
|  | 14．Structures of low－dimensional manifolds（2） |  |  |
|  | 15．h－cobordism theorem（1） |  |  |
| 16．h－cobordism theorem（2） |  |  |  |

